

Warm Up

October 22, 2018

- 1.) Find the missing coordinate(s): (1, 1) and (4, v)

$$\text{if } d = 5. \quad d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

$\left\{ \begin{array}{l} y = -3 \\ y = 5 \end{array} \right.$

$$5 = \sqrt{(4-1)^2 + (y-1)^2}$$

$$5^2 = (\sqrt{9 + (y-1)^2})^2$$

$$25 = 9 + (y-1)^2$$

$$\underline{\underline{-9 \qquad -9}}$$

$$\frac{+4}{5} = y - 1$$

$$\underline{\underline{+1 \qquad +1}}$$

$$5 = y$$

$$y = mx + b$$

$$\underline{\underline{-3 \qquad = 0}}$$

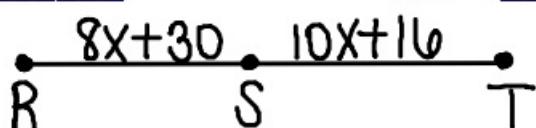
$$-3 = y + 3$$

- 2.) Write the equation of a line perpendicular to $y = -x + 3$ and passes through the point $(2, -1)$. $-3 = y$

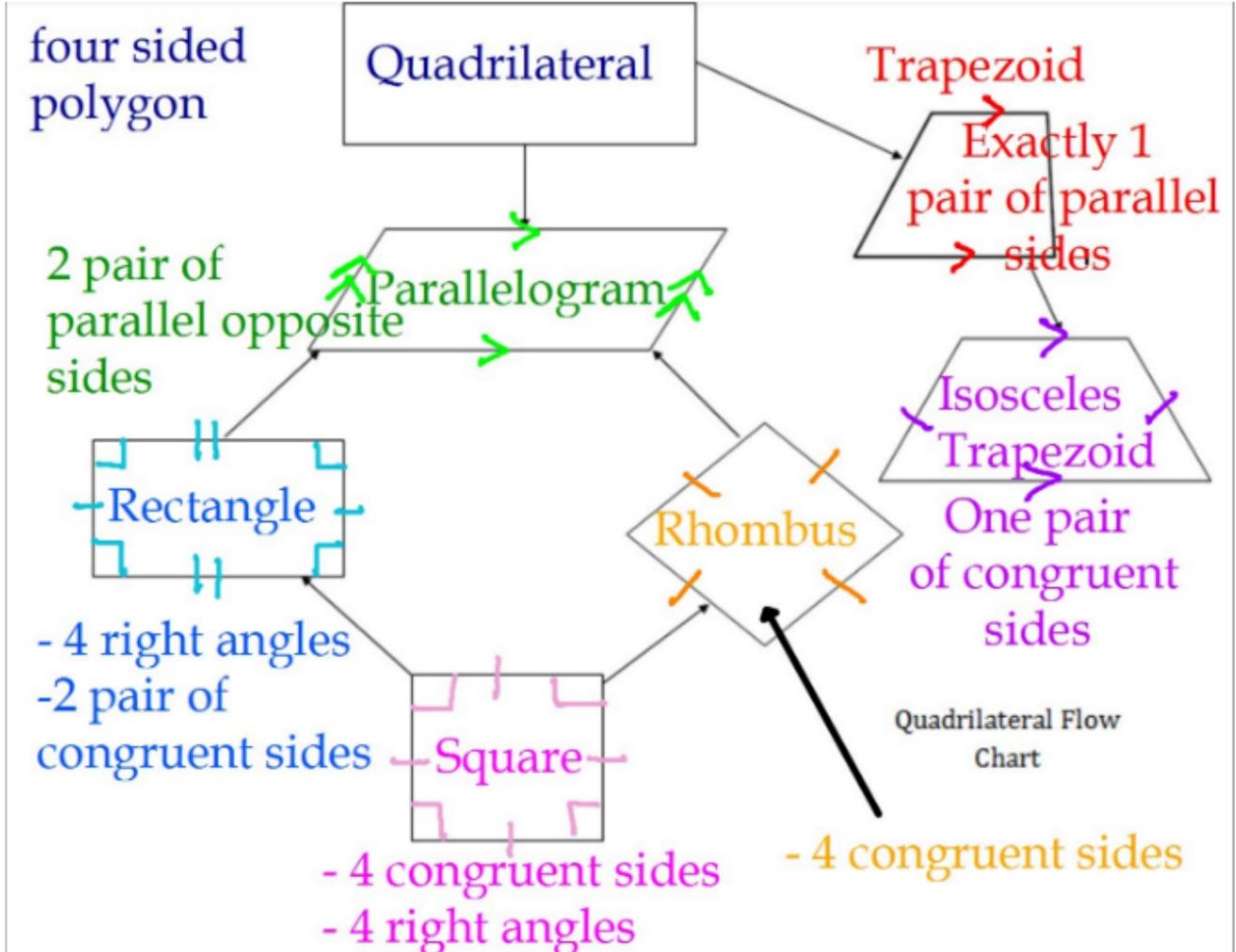
$$\begin{array}{l} m = -1 \\ \text{---} \\ m = 1 \end{array} \quad y - y_1 = m(x - x_1) \quad \begin{array}{l} y + 1 = 1(x - 2) \\ y + 1 = x - 2 \end{array} \quad \boxed{y = x - 3}$$

- 3.) If S is the midpoint of line segment RT and $RS = 8x+30$ and $ST = 10x+16$, find the following values:

$$\begin{array}{r} x = \underline{\quad 7 \quad} \\ RS = \underline{\quad 84 \quad} \end{array} \qquad \begin{array}{r} ST = \underline{\quad 86 \quad} \\ RT = \underline{\quad 172 \quad} \end{array}$$

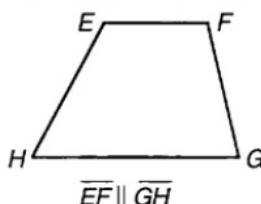
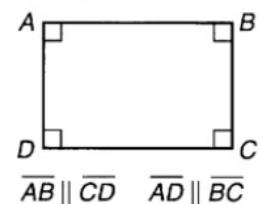
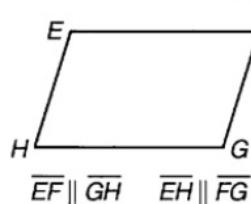
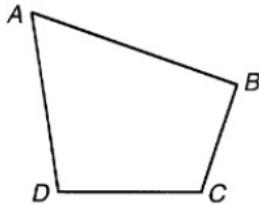


$$\begin{array}{r}
 8x + 30 = 10x + 16 \\
 -8x \quad -8x \\
 \hline
 30 = 2x + 16 \\
 14 = 2x \\
 7 = x
 \end{array}
 \qquad
 \begin{array}{l}
 8(7) + 30 = 84 \\
 10(7) + 16 = 84
 \end{array}$$



Why Do Airlines Think They Show the Best Movies?

 Under each figure, circle the number-letter pair next to each word that correctly names the figure. Write the letter in the matching numbered box at the bottom of the page.

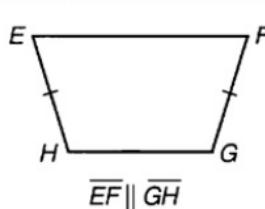
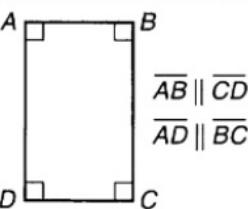
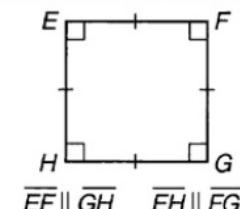
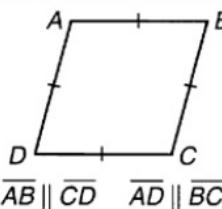


- 11 • F** parallelogram
26 • H polygon
14 • D rectangle
32 • C rhombus
8 • E quadrilateral

- 2 • W** rectangle
23 • T trapezoid
19 • U parallelogram
30 • I quadrilateral
4 • M square

- 34 • E** polygon
6 • P square
11 • R parallelogram
17 • G rhombus
2 • O rectangle

- 27 • U** parallelogram
14 • A quadrilateral
23 • N trapezoid
1 • T isosceles trapezoid

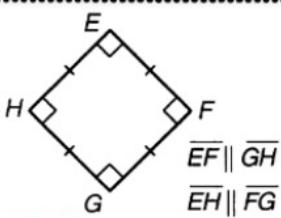
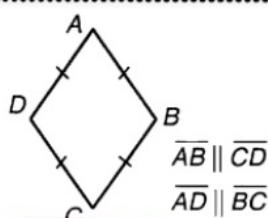
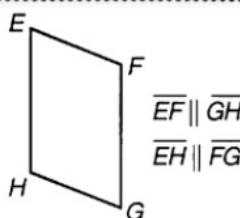
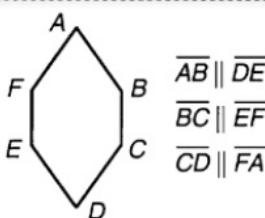


- 22 • A** square
10 • K rectangle
6 • Y rhombus
30 • L trapezoid
32 • D parallelogram

- 27 • E** square
4 • O parallelogram
31 • R trapezoid
22 • I rectangle
17 • S rhombus

- 25 • T** quadrilateral
10 • E parallelogram
1 • N rectangle
15 • B square
5 • L trapezoid

- 20 • F** rhombus
33 • R parallelogram
31 • D trapezoid
15 • L isosceles trapezoid



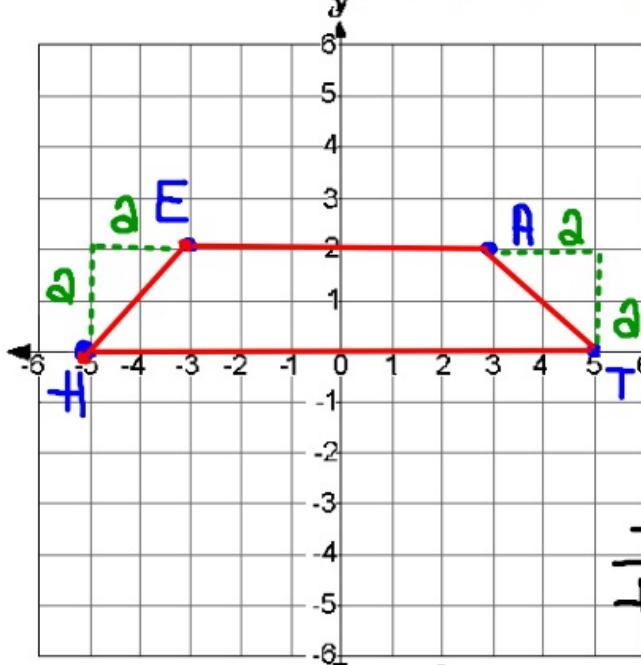
- 26 • X** parallelogram
34 • J quadrilateral
13 • P rectangle
29 • S trapezoid
5 • D polygon

- 3 • R** rectangle
20 • T parallelogram
16 • D rhombus
21 • H trapezoid
9 • V polygon

- 33 • L** rhombus
7 • S square
28 • N rectangle
13 • W quadrilateral
18 • P trapezoid

- 3 • B** rectangle
18 • O parallelogram
29 • M rhombus
24 • S trapezoid
16 • K square

$H(-5,0)$, $E(-3,2)$, $A(3,2)$, $T(5,0)$



Slopes

$$\overline{HE} = 1$$

$$\overline{AT} = -1$$

$$\overline{EA} = 0$$

$$\overline{HT} = 0$$

Distances

$$\overline{HE} = \sqrt{a^2 + b^2} = c^2$$

$$= (2)^2 + (2)^2 = c^2$$

$$= \sqrt{8} = c$$

$$\overline{HE} = c = \sqrt{8}$$

$$\overline{AT} = 10$$

$$\overline{EA} = 6$$

$$\overline{AT} = (2)^2 + (2)^2 = c^2$$

$$= \sqrt{8} = c$$

Quadrilateral HEAT is an isosceles trapezoid because sides HE and AT are congruent and sides EA and HT are parallel.