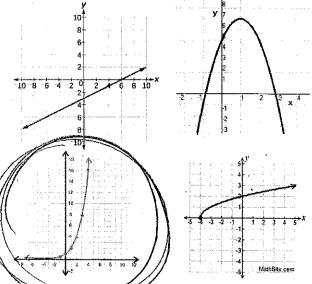
## Unit 6: Exponential Functions Study Guide

## **Calculator Inactive**

1.) Identify the graph that models exponential growth.



- 3.) Which choice could be modeled by a linear function?
- a) the height, y, of a ball after bouncing x times, if each bounce reaches ½ the previous height
- b) the amount, y, of radioactive material remaining after x years when decay occurs at a rate of 15% each year
- c) the amount of money, y, in an account after x years earning 2% interest compounded annually
- d) The monthly cost, y, to have a gym membership for x months at a rate of \$15 per month
- 5.) Write an exponential function representing an exponential decay with a 18% rate of change where A represents the initial value and x represents time in years.

- 2.) Identify each situation that can be modeled with an exponential function.
- a) Lime charges a start up fee of \$1 and \$0.50 for each additional mile you ride the bike.
- b) A bank account starts with \$100 and earns 6% interest each month.
- c) A cell triples in size every 2 hours.
- d) An airplane if flying at an altitude at 45,000 feet and begins descending at a rate of 100 feet per minute.
- e) The population in a town decreases at a rate of 10% each year.
- 4.) Two functions are shown below:

$$f(x) = \frac{1}{2} \circ 2^x$$

$$g(x) = 16 - 2x$$

What is the largest integer value of x such that  $\frac{1}{2} \left( \frac{1}{2} \right)^{2} = \frac{1}{2} \left( \frac{1}{2} \right)^{2} = \frac{1}{2}$ 

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- 6.) Beth and Doug are playing a game.
  - Both Beth and Doug have 200 points.
  - At the end of each turn, Beth's points are doubled.
  - At the end of each turn, Doug's points are increased by 400.

At the start of which turn will Beth have more points than Doug?

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